

Practice Set: MCQ

Rittwik Chatterjee

Q. Which is(are) the factor(s) of production

- ① labor
- ② capital
- ③ organization
- ④ all the above

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A. 4

Q. According to the modern definition of production, which one is not a part of production

- ① services provide by doctors
- ② opening a shop and selling different commodities
- ③ making cloths for domestic consumption
- ④ producing and selling rice

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A. 3

Q. In economics by capital we mean

- ① physical capital
- ② financial capital
- ③ debt capital
- ④ all the above

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A. 4

Q. In economics the word **land** means

- ① field
- ② rainfall
- ③ sunlight
- ④ all the above

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A. 4

Q. The relation between physical output of a production process to physical inputs is known as:

- ① Consumption function
- ② Production function
- ③ Utility function
- ④ Sales function

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A. 2

Q. Which is not included in **labor**

- ① selling commodities
- ② doing job in a bank
- ③ doing some household work
- ④ producing cotton for sale

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A. 3

Q. Which is the correct example of a production function?

- ① $Q = K + L$
- ② $Q = \min\{K, L\}$
- ③ $Q = KL$
- ④ all the above

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A. 4

Q. Which of the production function has discontinuous isoquant

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- ② $Q = \min\{K, L\}$
- ③ $Q = KL$
- ④ none of the above

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A. 4

Q. Which is not a correct assumption for the law of variable proportions

- ① Only one factor is variable while others are held constant
- ② There is no change in technology
- ③ It assumes a long-run situation
- ④ It is possible to vary the proportions in which different inputs are combined

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- ② There is no change in technology
- ③ It assumes a long-run situation
- ④ It is possible to vary the proportions in which different inputs are combined

A. 3

Q. Which is correct for the law of variable proportions

- ① How much output change if the number of units of a variable factor is increased, keeping other factors constant
- ② How much output change if the number of units of a variable factor is increased, with other factors also increase with the same amount
- ③ How much output change if the number of units of a variable factor is increased, with other factors also increase with a slow rate
- ④ How much output change if the number of units of a variable factor is increased, with other factors also increase with a fast rate

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- ① How much output change if the number of units of a variable factor is increased, keeping other factors constant
- ② How much output change if the number of units of a variable factor is increased, with other factors also increase with the same amount
- ③ How much output change if the number of units of a variable factor is increased, with other factors also increase with a slow rate
- ④ How much output change if the number of units of a variable factor is increased, with other factors also increase with a fast rate

A. 1

- Q. The maximum value of average product of labor is
- ① greater than maximum value of marginal product of labor
 - ② less than maximum value of marginal product of labor
 - ③ equal to the maximum value of marginal product of labor
 - ④ can't compare

- Q.** The maximum value of average product of labor is
- ① greater than maximum value of marginal product of labor
 - ② less than maximum value of marginal product of labor
 - ③ equal to the maximum value of marginal product of labor
 - ④ can't compare
- A.** 2

Q. Which is not the correct stage of production in the law of variable proportions

- ① Increasing Returns to Scale
- ② Decreasing Returns to Scale
- ③ Increasing Marginal Product
- ④ Decreasing Marginal Product

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- ① Increasing Returns to Scale
- ② Decreasing Returns to Scale
- ③ Increasing Marginal Product
- ④ Decreasing Marginal Product

A. 3

Q. Which is correct for returns to scale

- ① Returns to scale refer to the relationship between changes in output and proportionate changes in one factor of production
- ② Returns to scale refer to the relationship between changes in output and proportionate changes in all factors of production
- ③ Returns to scale refer to the relationship between changes in output and different changes in all factors of production
- ④ Returns to scale refer to the relationship between changes in output and different changes in two factors of production

Q. Which is correct for returns to scale

- ① Returns to scale refer to the relationship between changes in output and proportionate changes in one factor of production
- ② Returns to scale refer to the relationship between changes in output and proportionate changes in all factors of production
- ③ Returns to scale refer to the relationship between changes in output and different changes in all factors of production
- ④ Returns to scale refer to the relationship between changes in output and different changes in two factors of production

A. 2

Q. If we want to increase production then we need to purchase more raw material. This cost is called

- ① Fixed cost
- ② Variable cost
- ③ Opportunity cost
- ④ Sunk cost

Q. If we want to increase production then we need to purchase more raw material. This cost is called

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A. 2

Q. The cost which will never return in any stage of business is called

- ① Fixed cost
- ② Variable cost
- ③ Opportunity cost
- ④ Sunk cost

Q. The cost which will never return in any stage of business is called

- ① Fixed cost
- ② Variable cost
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A. 4

Q. The cost of one thing in terms of the alternative given up is called

- ① Fixed cost
- ② Variable cost
- ③ Opportunity cost
- ④ Sunk cost

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- ① Fixed cost
- ② Variable cost
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A. 3

Q. Along the isoquant

- ① quantity is constant
- ② cost is constant
- ③ utility is constant
- ④ none of the above

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- ① quantity is constant
- ② cost is constant
- ③ utility is constant
- ④ none of the above

A. 1

Q. Along the isocost line

- ① quantity is constant
- ② cost is constant
- ③ utility is constant
- ④ none of the above

Q. Along the isocost line

- ① quantity is constant
- ② cost is constant
- ③ utility is constant
- ④ none of the above

A. 2

Q. When marginal product is increasing, total product is

- ① convex
- ② concave
- ③ linear
- ④ none of the above

Q. When marginal product is increasing, total product is

- ① convex
- ② concave
- ③ linear
- ④ none of the above

A. 1

Q. When marginal product is negative, total product is

- ① increasing
- ② decreasing
- ③ constant
- ④ equal to zero

Q. When marginal product is negative, total product is

- ① increasing
- ② decreasing
- ③ constant
- ④ equal to zero

A. 2

Q. When average product is maximum, marginal product

- ① lies above average product
- ② lies below average product
- ③ is equal to average product
- ④ is equal to zero

Q. When average product is maximum, marginal product

- ① lies above average product
- ② lies below average product
- ③ is equal to average product
- ④ is equal to zero

A. 3

Q. When total product is maximum

- 1 marginal product is zero
- 2 marginal product is positive
- 3 marginal product is negative
- 4 average product is zero

Q. When total product is maximum

- ① marginal product is zero
- ② marginal product is positive
- ③ marginal product is negative
- ④ average product is zero

A. 1

Q. Consider the production function, $q = \min\{K, L\}$, the isoquant is

- 1 L-shaped
- 2 downward sloping concave
- 3 downward sloping linear
- 4 upward sloping concave

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A. 1

Q. Consider the production function, $q = 3K + L$, the isoquant is

- ① L-shaped
- ② U-shaped
- ③ downward sloping linear
- ④ upward sloping linear

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- ② U-shaped
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A. 3

Q. Consider the production function, $q = 2 K + 5 L$, the slope of the isoquant is

- ① $-(5/2)$
- ② $-(2/5)$
- ③ $5/2$
- ④ $2/5$

Q. Consider the production function, $q = 2 K + 5 L$, the slope of the isoquant is

① $-(5/2)$

② $-(2/5)$

③ $5/2$

④ $2/5$

A. 1

Q. Consider the production function $Q = 10K^{0.3}L^{0.7}$. The average product of capital is

- ① $10(K/L)^{0.3}$
- ② $10(L/K)^{0.7}$
- ③ $3(L/K)^{0.7}$
- ④ $7(K/L)^{0.3}$

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- ④ $7(K/L)^{0.3}$

A. 3

Q. When total product curve is concave, marginal product curve is

- ① Horizontal
- ② Vertical
- ③ Upward sloping
- ④ Downward sloping

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- ① Horizontal
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A. 4

Q. Consider the production function $Q = \min\{K, L\}$ The average product curve

- ① is discontinuous
- ② has a kink
- ③ is downward sloping throughout
- ④ is horizontal straight line throughout

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A. 2

Q. Marginal product curve intersect average product at a point where

- 1 marginal product is maximum
- 2 marginal product is minimum
- 3 average product is maximum
- 4 average product is minimum

Q. Marginal product curve intersect average product at a point where

- ① marginal product is maximum
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A. 3

Q. Consider the production function $Q = \min\{K, L\}$ The total product curve

- ① is discontinuous
- ② has a kink
- ③ is upward sloping throughout
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A. 1

Q. At stage II of production

- ① marginal product is falling and it is more than average product
- ② marginal product is falling and it is less than average product
- ③ marginal product is rising and it is more than average product
- ④ marginal product is rising and it is less than average product

Q. At stage II of production

- ① marginal product is falling and it is more than average product
- ② marginal product is falling and it is less than average product
- ③ marginal product is rising and it is more than average product
- ④ marginal product is rising and it is less than average product

A. 2

Q. At which stage of production, the firm will operate

- ① Stage I
- ② Stage II
- ③ Stage III
- ④ Stage IV

Q. At which stage of production, the firm will operate

- ① Stage I
- ② Stage II
- ③ Stage III
- ④ Stage IV

A. 2

Q. At stage I

- 1 fixed inputs are not fully utilized
- 2 fixed inputs are fully utilized
- 3 variable inputs are not fully utilized
- 4 variable inputs are fully utilized

Q. At stage I

- ① fixed inputs are not fully utilized
- ② fixed inputs are fully utilized
- ③ variable inputs are not fully utilized
- ④ variable inputs are fully utilized

A. 1

Q. Isoquants are generally

- 1 downward sloping and convex
- 2 downward sloping and concave
- 3 downward sloping and linear
- 4 horizontal

Q. Isoquants are generally

- ① downward sloping and convex
- ② downward sloping and concave
- ③ downward sloping and linear
- ④ horizontal

A. 1

Q. Higher isoquant generally, indicates

- ① lower output
- ② higher output
- ③ same output
- ④ can't say

Q. Higher isoquant generally, indicates

- ① lower output
- ② higher output
- ③ same output
- ④ can't say

A. 2

Q. Slope of an isoquant is

- ① $-(MP_L/MP_K)$
- ② MP_L/MP_K
- ③ $-(w/r)$
- ④ w/r

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- ③ $-(w/r)$
- ④ w/r

A. 1

Q. Slope of the isocost line is

- ① $-(MP_L/MP_K)$
- ② MP_L/MP_K
- ③ $-(w/r)$
- ④ w/r

Q. Slope of the isocost line is

- ① $-(MP_L/MP_K)$
- ② MP_L/MP_K
- ③ $-(w/r)$
- ④ w/r

A. 3

Q. The vertical intercept of the isocost line is

- 1 $\left(0, \frac{\bar{C}}{w}\right)$
- 2 $\left(0, \frac{\bar{C}}{r}\right)$
- 3 $\left(\frac{\bar{C}}{w}, 0\right)$
- 4 $\left(\frac{\bar{C}}{r}, 0\right)$

Q. The vertical intercept of the isocost line is

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③ $\left(\frac{\bar{C}}{w}, 0\right)$

④ $\left(\frac{\bar{C}}{r}, 0\right)$

A. 2

Q. The horizontal intercept of the isocost line is

- 1 $\left(0, \frac{\bar{C}}{w}\right)$
- 2 $\left(0, \frac{\bar{C}}{r}\right)$
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- ② $\left(0, \frac{\bar{C}}{r}\right)$
- ③ $\left(\frac{\bar{C}}{w}, 0\right)$
- ④ $\left(\frac{\bar{C}}{r}, 0\right)$

A. 3

Q. Cost minimizing capital labor is determined from which condition?

- ① $MP_L/MP_K = w/r$
- ② $MP_L/MP_K > w/r$
- ③ $MP_L/MP_K < w/r$
- ④ $MP_L/MP_K = r/w$

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- ③ $MP_L/MP_K < w/r$
- ④ $MP_L/MP_K = r/w$

A. 1

Q. Profit maximizing capital labor is determined from which condition?

- ① $MP_L/MP_K = w/r$
- ② $MP_L/MP_K > w/r$
- ③ $MP_L/MP_K < w/r$
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- ③ $MP_L/MP_K < w/r$
- ④ $MP_L/MP_K = r/w$

A. 1

Q. Consider the production function $Q = K^{0.3}L^{0.7}$. We have $w = 7$, $r = 3$ and $\bar{C} = 100$. What is the profit maximizing levels of capital and labor

- ① $K = 30, L = 70$
- ② $K = 70, L = 30$
- ③ $K = 10, L = 10$
- ④ $K = 100, L = 100$

Q. Consider the production function $Q = K^{0.3}L^{0.7}$. We have $w = 7$, $r = 3$ and $\bar{C} = 100$. What is the profit maximizing levels of capital and labor

- ① $K = 30, L = 70$
- ② $K = 70, L = 30$
- ③ $K = 10, L = 10$
- ④ $K = 100, L = 100$

A. 3

Q. Suppose \bar{C} falls, then the isocost line will

- 1 shift upward parallelly
- 2 shift downward parallelly
- 3 rotate upward
- 4 rotate downward

Q. Suppose \bar{C} falls, then the isocost line will

- ① shift upward parallelly
- ② shift downward parallelly
- ③ rotate upward
- ④ rotate downward

A. 2

- Q. Suppose rent increases, then the isocost line will
- 1 rotate downward keeping horizontal intercept fixed
 - 2 rotate upward keeping horizontal intercept fixed
 - 3 rotate downward keeping vertical intercept fixed
 - 4 rotate upward keeping vertical intercept fixed

- Q.** Suppose rent increases, then the isocost line will
- 1 rotate downward keeping horizontal intercept fixed
 - 2 rotate upward keeping horizontal intercept fixed
 - 3 rotate downward keeping vertical intercept fixed
 - 4 rotate upward keeping vertical intercept fixed
- A.** 1

- Q. Suppose wage rate falls, then the isocost line will
- 1 rotate downward keeping horizontal intercept fixed
 - 2 rotate upward keeping horizontal intercept fixed
 - 3 rotate downward keeping vertical intercept fixed
 - 4 rotate upward keeping vertical intercept fixed

- Q.** Suppose wage rate falls, then the isocost line will
- ① rotate downward keeping horizontal intercept fixed
 - ② rotate upward keeping horizontal intercept fixed
 - ③ rotate downward keeping vertical intercept fixed
 - ④ rotate upward keeping vertical intercept fixed
- A.** 4

Q. When $\frac{MP_L}{w} > \frac{MP_K}{r}$, then profit will rise if

- 1 we substitute labor by capital
- 2 we substitute capital by labor
- 3 both the above
- 4 none of the above

Q. When $\frac{MP_L}{w} > \frac{MP_K}{r}$, then profit will rise if

- ① we substitute labor by capital
- ② we substitute capital by labor
- ③ both the above
- ④ none of the above

A. 2

Q. Suppose we have a production function $F(K, L)$, such that for all $\lambda > 1$, we have $F(\lambda K, \lambda L) = \lambda F(K, L)$, then the production function exhibits

- 1 constant return to scale
- 2 increasing return to scale
- 3 decreasing return to scale
- 4 none of the above

Q. Suppose we have a production function $F(K, L)$, such that for all $\lambda > 1$, we have $F(\lambda K, \lambda L) = \lambda F(K, L)$, then the production function exhibits

- 1 constant return to scale
- 2 increasing return to scale
- 3 decreasing return to scale
- 4 none of the above

A. 1

Q. Consider the production function $Q = 10(KL)^{0.6}$. This production function exhibits,

- 1 constant return to scale
- 2 increasing return to scale
- 3 decreasing return to scale
- 4 none of the above

Q. Consider the production function $Q = 10(KL)^{0.6}$. This production function exhibits,

- ① constant return to scale
- ② increasing return to scale
- ③ decreasing return to scale
- ④ none of the above

A. 2

Q. Consider the production function $Q = \min\left\{\frac{K}{50}, \frac{L}{64}\right\}$. The production function exhibits,

- 1 constant return to scale
- 2 increasing return to scale
- 3 decreasing return to scale
- 4 none of the above

Q. Consider the production function $Q = \min\left\{\frac{K}{50}, \frac{L}{64}\right\}$. The production function exhibits,

- ① constant return to scale
- ② increasing return to scale
- ③ decreasing return to scale
- ④ none of the above

A. 1

Q. Consider the following table

K	L	Q
2	4	10
16	32	100

We have

- 1 Constant return to scale
- 2 Increasing return to scale
- 3 Decreasing return to scale
- 4 None of the above

Q. Consider the following table

K	L	Q
2	4	10
16	32	100

We have

- 1 Constant return to scale
- 2 Increasing return to scale
- 3 Decreasing return to scale
- 4 None of the above

A. 2

Q. Consider the following table

K	L	Q
3	5	45
63	x	945

If we know that the production process exhibits constant return to scale then the value of x is

- 1 85
- 2 95
- 3 105
- 4 115

Q. Consider the following table

K	L	Q
3	5	45
63	x	945

If we know that the production process exhibits constant return to scale then the value of x is

- ① 85
- ② 95
- ③ 105
- ④ 115

A. 3

Q. Accounting cost does not include

- ① cost of capital
- ② cost of licensing
- ③ explicit cost
- ④ implicit cost

Q. Accounting cost does not include

- ① cost of capital
- ② cost of licensing
- ③ explicit cost
- ④ implicit cost

A. 4

Q. In accounting it is generally assumed that the total cost curve is

- 1 linear
- 2 concave
- 3 convex
- 4 first concave then convex

Q. In accounting it is generally assumed that the total cost curve is

- ① linear
- ② concave
- ③ convex
- ④ first concave then convex

A. 1

Q. Economists generally assumed that the total cost curve is

- 1 linear
- 2 concave
- 3 convex
- 4 first concave then convex

Q. Economists generally assumed that the total cost curve is

- ① linear
- ② concave
- ③ convex
- ④ first concave then convex

A. 4

Q. Private cost does not include

- ① cost of capital
- ② cost of labor
- ③ cost of licensing
- ④ cost of pollution

Q. Private cost does not include

- ① cost of capital
- ② cost of labor
- ③ cost of licensing
- ④ cost of pollution

A. 4

Q. Social cost is beared by

- 1 the private players
- 2 the general public
- 3 both of them
- 4 none of them

Q. Social cost is beared by

- ① the private players
- ② the general public
- ③ both of them
- ④ none of them

A. 3

Q. In the short run

- ① all the factors are fixed
- ② all the factors are variable
- ③ some of the factors are fixed
- ④ none of the above

Q. In the short run

- ① all the factors are fixed
- ② all the factors are variable
- ③ some of the factors are fixed
- ④ none of the above

A. 3

Q. Suppose it is given that output = 3, total fixed cost = 10 and total variable cost = 50. The total cost is equal to

- ① 20
- ② 60
- ③ $40/3$
- ④ 40

Q. Suppose it is given that output = 3, total fixed cost = 10 and total variable cost = 50. The total cost is equal to

- ① 20
- ② 60
- ③ $40/3$
- ④ 40

A. 2

Q. Suppose it is given that output = 3, total fixed cost = 10 and total variable cost = 50. The average cost is

- ① 20
- ② 60
- ③ $40/3$
- ④ 40

Q. Suppose it is given that output = 3, total fixed cost = 10 and total variable cost = 50. The average cost is

- ① 20
- ② 60
- ③ $40/3$
- ④ 40

A. 1

Q. Consider the following table

Q	TC	MC
2	10	5
6	22	x

The value of x is

- ① 2
- ② 3
- ③ 4
- ④ 5

Q. Consider the following table

Q	TC	MC
2	10	5
6	22	x

The value of x is

- ① 2
- ② 3
- ③ 4
- ④ 5

A. 2

Q. Suppose $TC = 100$, $TFC = 20$, $AFC = 4$. The value of AVC is

- ① 12
- ② 14
- ③ 16
- ④ 18

Q. Suppose $TC = 100$, $TFC = 20$, $AFC = 4$. The value of AVC is

- ① 12
- ② 14
- ③ 16
- ④ 18

A. 3

Q. Suppose $AVC = 20$, $AFC = 10$, $TVC = 100$. The value of TC is

- ① 100
- ② 150
- ③ 200
- ④ 250

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- ① 100
- ② 150
- ③ 200
- ④ 250

A. 2

Q. Suppose the production function is $Q = \min\left\{\frac{K}{3}, \frac{L}{2}\right\}$. Suppose $K = 15$ and $L = 9$. The marginal product of labor is

- ① 0.4
- ② 0.5
- ③ 0.6
- ④ 0

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A. 2

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- ② 0.5
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- ④ 0

A. 4

Q. Suppose the production function is $Q = 10(KL)^{0.5}$. Suppose $K = 3$ and $L = 12$. The average product of capital is

- ① 5
- ② 10
- ③ 15
- ④ 20

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- ① 5
- ② 10
- ③ 15
- ④ 20

A. 4

Q. The curve that passes through the minimum point of AC is

- ① AVC
- ② MC
- ③ AFC
- ④ TVC

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- ① AVC
- ② MC
- ③ AFC
- ④ TVC

A. 2

Q. The minimum point of AVC lies to

- 1 the left of minimum point of AC
- 2 the right of minimum point of AC
- 3 vertically above the minimum point of AC
- 4 vertically below the minimum point of AC

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- ① the left of minimum point of AC
- ② the right of minimum point of AC
- ③ vertically above the minimum point of AC
- ④ vertically below the minimum point of AC

A. 1

Q. AFC is

- ① downward sloping straight line
- ② upward sloping straight line
- ③ downward sloping convex to the origin
- ④ rectangular hyperbola

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- ① downward sloping straight line
- ② upward sloping straight line
- ③ downward sloping convex to the origin
- ④ rectangular hyperbola

A. 4

Q. Suppose government imposes per unit tax on output. That tax rate is $t > 0$. The total cost is now

$$TC = C(Q) + tQ$$

where $C(Q)$ was that total cost before tax. The new average cost will

- 1 shift parallelly upward
- 2 shift parallelly downward
- 3 shift to left
- 4 shift to right

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- ② shift parallelly downward
- ③ shift to left
- ④ shift to right

A. 1

Q. Again consider the total cost function

$$TC = C(Q) + tQ.$$

The new marginal cos will

- 1 shift parallelly upward
- 2 shift parallelly downward
- 3 shift to left
- 4 shift to right

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A. 1

Q. $\frac{dAVC}{dQ}$ is equal to

① $\frac{MC-AVC}{Q}$

② $\frac{AVC-MC}{Q}$

③ $\frac{Q}{MC-AVC}$

④ $\frac{Q}{AVC-MC}$

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② $\frac{AVC-MC}{Q}$

③ $\frac{Q}{MC-AVC}$

④ $\frac{Q}{AVC-MC}$

A. 1

Q. Under constant returns to scale, in the long run, the MC curve is

- ① downward sloping
- ② upward sloping
- ③ vertical
- ④ horizontal

Q. Under constant returns to scale, in the long run, the MC curve is

- ① downward sloping
- ② upward sloping
- ③ vertical
- ④ horizontal

A. 4

Q. Under increasing returns to scale, in the long run, the AC curve is

- ① downward sloping
- ② upward sloping
- ③ vertical
- ④ horizontal

Q. Under increasing returns to scale, in the long run, the AC curve is

- ① downward sloping
- ② upward sloping
- ③ vertical
- ④ horizontal

A. 1

Q. Why short run AC curve is initially downward sloping

- 1 due to constant return to scale
- 2 due to increasing return to scale
- 3 due to decreasing return to scale
- 4 due to the presence of positive fixed cost

Q. Why short run AC curve is initially downward sloping

- ① due to constant return to scale
- ② due to increasing return to scale
- ③ due to decreasing return to scale
- ④ due to the presence of positive fixed cost

A. 4

Q. Suppose both wage rate and rent doubled, then the isocost line will

- ① shift parallelly upward
- ② shift parallelly downward
- ③ rotates leftward keeping the vertical intercept fixed
- ④ rotates rightward keeping the vertical intercept fixed

Q. Suppose both wage rate and rent doubled, then the isocost line will

- ① shift parallelly upward
- ② shift parallelly downward
- ③ rotates leftward keeping the vertical intercept fixed
- ④ rotates rightward keeping the vertical intercept fixed

A. 2

Q. Suppose wage doubled but rent increases three times, then the isocost line will

- 1 rotate rightward and the vertical intercept decreases
- 2 rotate rightward and the vertical intercept increases
- 3 rotate leftward and the vertical intercept decreases
- 4 rotate leftward and the vertical intercept increases

Q. Suppose wage doubled but rent increases three times, then the isocost line will

- ① rotate rightward and the vertical intercept decreases
- ② rotate rightward and the vertical intercept increases
- ③ rotate leftward and the vertical intercept decreases
- ④ rotate leftward and the vertical intercept increases

A. 1

Q. Suppose the production function is $Q = \min\left\{\frac{K}{3}, \frac{L}{2}\right\}$. Suppose $w = 5$, $r = 2$ and $\bar{C} = 100$. What is the profit maximizing levels of capital and labor

- 1 $K = 18.75$, $L = 12.5$
- 2 $K = 12.5$, $L = 18.75$
- 3 $K = 19.75$, $L = 11.5$
- 4 $K = 11.5$, $L = 19.75$

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- ③ $K = 19.75$, $L = 11.5$
- ④ $K = 11.5$, $L = 19.75$

A. 1

Q. Suppose in the above question, the price of the product is 200.
The total revenue of the firm is

- ① 1100
- ② 1150
- ③ 1200
- ④ 1250

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The total revenue of the firm is

- ① 1100
- ② 1150
- ③ 1200
- ④ 1250

A. 4

Q. The profit of the firm is

- ① 1050
- ② 1100
- ③ 1150
- ④ 1200

Q. The profit of the firm is

- ① 1050
- ② 1100
- ③ 1150
- ④ 1200

A. 3